# Computer Networks X\_400487

Lecture 2

Chapter 2: The Physical Layer



#### Lecturer: Jesse Donkervliet



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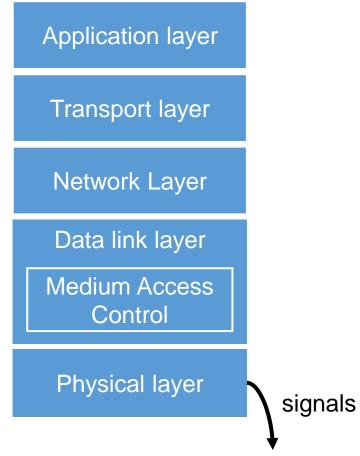
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#### Layered architecture

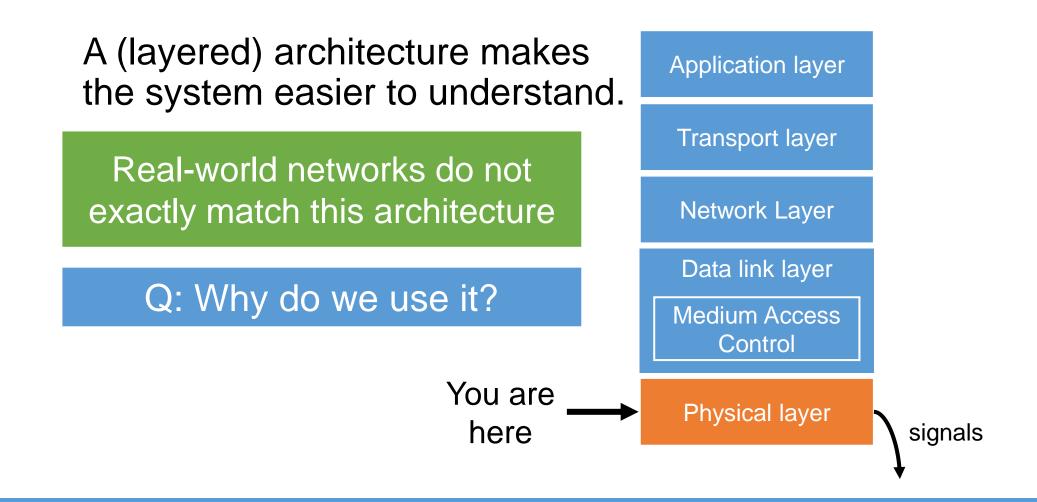
A (layered) architecture makes the system easier to understand

Real-world networks do not exactly match this architecture

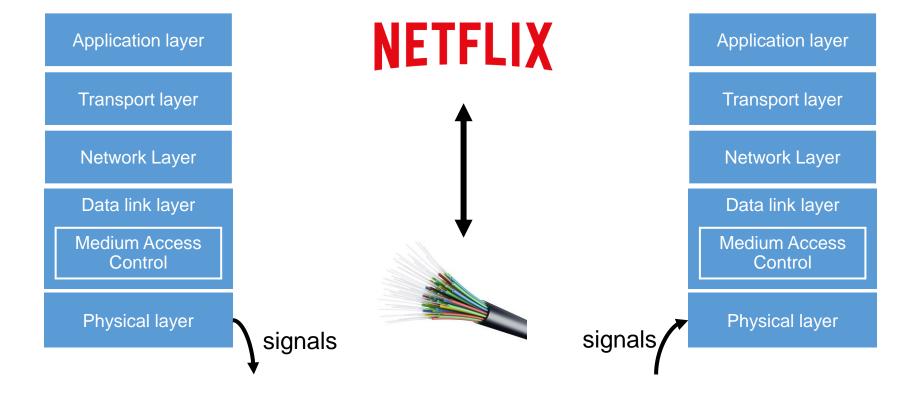
Q: Why do we use it?



#### Layered architecture



## From a service to a signal, and back again



### How can we transport data?

Q: Can you think of mediums used for computer networks?

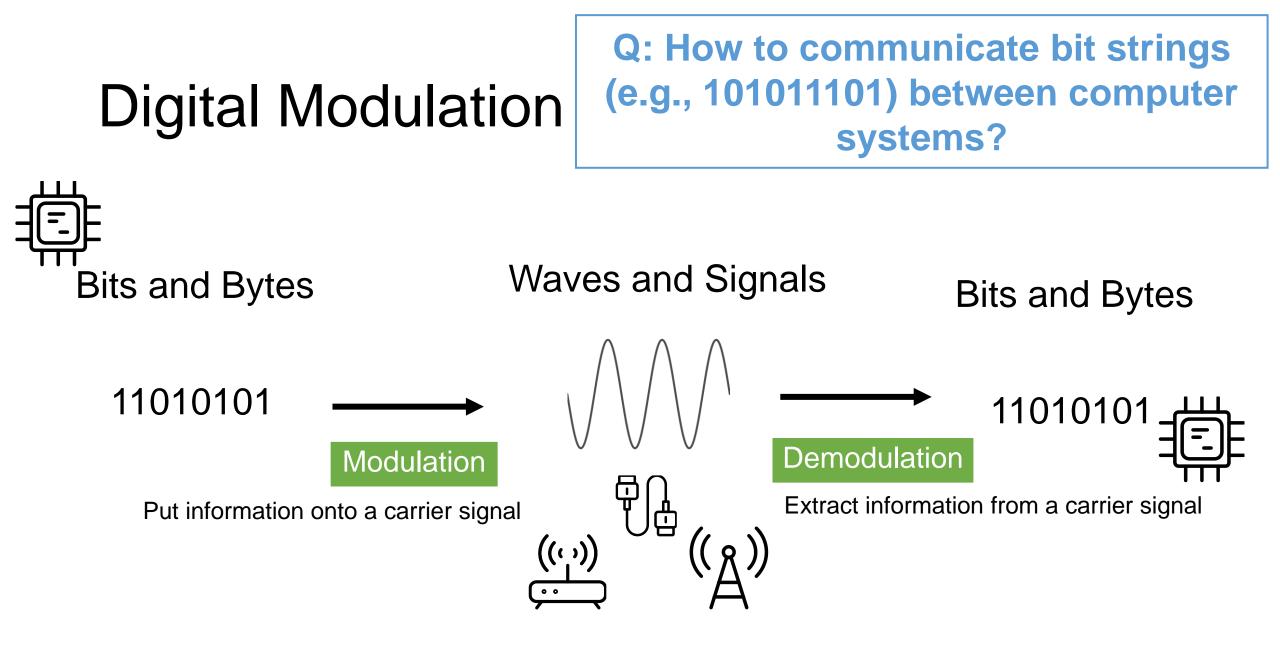
Well-known mediums:

- 1. Copper cables
- 2. Optical fibers
- 3. Radio waves

A medium allows you to transport data from one place to another Other possible of mediums:

- 1. Postal service ("snail mail")
- 2. A truck full of SSD drives
- Trained pigeons with USB drives attached to their feet

4. ...



#### Different channel, different properties

#### **Bit rate**

Number of bits per second. Depends on protocol, channel bandwidth, and other factors.

#### Delay

How long does it take a bit to get to the end?

#### **Storage Capacity**

How many bits can the channel hold at once? Capacity = Bit rate  $\times$  Delay

**Error Rate (Noise, Attenuation)** What is the probability of a bit flipping? Non-functional properties can enable new technologies!

Q: Which properties are important

for video on-demand?

## **Physical Layer Lecture**

#### **1. Physical Properties of Different Mediums**

- 2. Communication Speed Limits
- 3. Digital Modulation
- 4. Multiplexing

#### Twisted pair

Commonly used for:

- 1. Telephone networks.
- 2. Wired LANs.

**Q: Why are the wires twisted?** 

Q: What about the latency and error rate?

Example: Category 6 ("CAT 6") cables. Some support 500 MHz bandwidth.

High bandwidth allows higher data rates

## Coaxial ("coax") cable

Commonly used for:

- 1. Telephone networks
- 2. Cable television
- 3. Wired Metropolitan Area Networks (MANs).

#### Bandwidth in the order of GHz.

A CARLER AND

## **Optical fiber**

Commonly used for:

- 1. Long-distance network backbones.
- 2. Wired Metropolitan Area Networks (MANs).
- 3. High-performance LANs.

Fiber is becoming increasingly popular in multiple application domains

#### Bandwidth in the order of 100 GHz.



#### Wireless transmission

Different frequencies means different properties.

- 1. Radiowave AM radio FM radio
- 2. Microwave Satellite dishes
- 3. Infrared Remote controls
- 4. Visible light
- 5. ...

Example?

Q: Can you think of a (dis)advantage compared to wired transmission?

#### Wireless transmission

Different frequencies means different properties.

#### 1. Radiowave

AM radio FM radio

#### 2. Microwave

Satellite dishes

#### 3. Infrared

Remote controls

4. Visible light

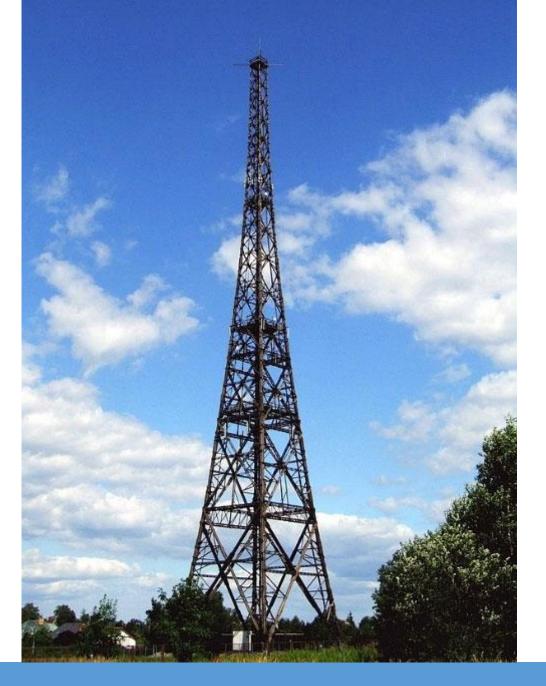
5. ...

## Radio

AM radio ( $f \approx 1 MHz$ ) FM radio ( $f \approx 100 MHz$ )

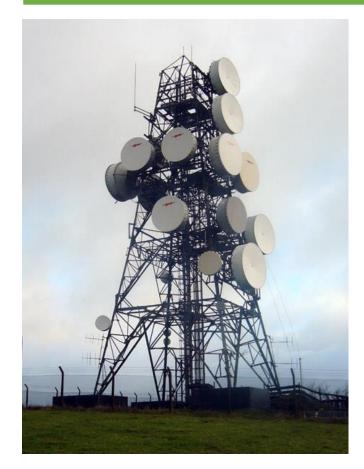
Q: Can you think of (dis)advantages?

Both can travel reasonably long distances



#### Microwave ( $f \approx 10 \ GHz$ )

#### Needs line of sight





Q: Can you think of (dis)advantages?

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## Satellite Networks

Q: What are its properties?

Radio waves allow for high bit rates and have (relatively) low attenuation.

But sending signals to artificial satellites and back has significant latency! Lower latency requires lower orbits requires more satellites neWeb STARLINK : iridium Giobals

## Physical Layer Lecture

- 1. Physical Properties of Different Mediums
- 2. Communication Speed Limits
- 3. Digital Modulation
- 4. Multiplexing

## Fundamental speed limits



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### **Properties of Waves**

**Q: What are properties of waves?** 

Properties:

1. Amplitude(A)2. Frequency(f)3. Phase $(\varphi)$ 

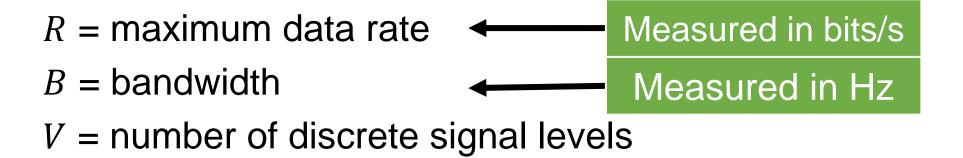
Frequency and phase are not independent  $y(t) = A \cdot \sin(2\pi f t + \varphi)$ 

#### Q: Which properties can we modulate simultaneously?

#### Nyquist's theorem

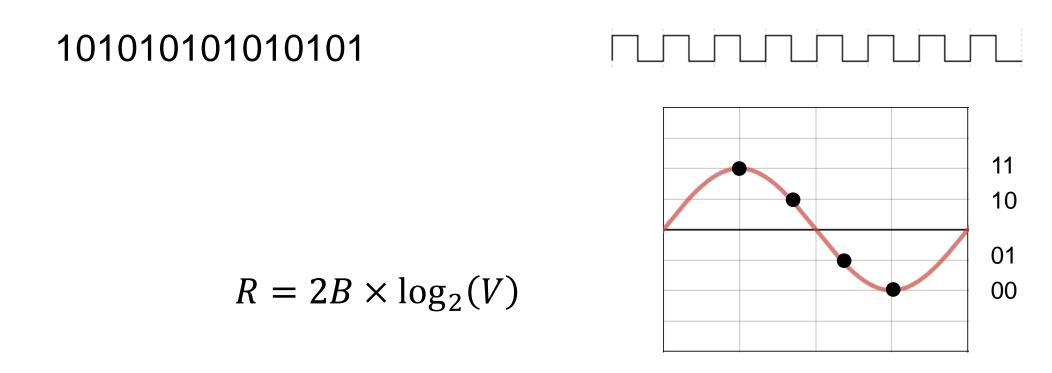
Computing the *maximum data rate* for a noiseless channel

 $R = 2B \times \log_2(V)$ 



#### Nyquist's theorem An intuition

For a binary signal, V=2



## Nyquist's Theorem Example

Signal that uses <u>4 signal levels</u> over a wired channel with <u>500kHz</u> bandwidth

 $R = 2B \times \log_2 V$   $B = 500,000 \quad V = 4$   $R = 2 \times 500,000 \times \log_2 4$  R = 2,000,000R = 2Mbps

Q: Can we exceed the maximum Nyquist data rate? Under what assumptions does this model hold?

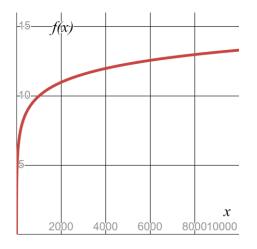
#### Shannon's theorem

## Q: Should we reduce noise or increase bandwidth?

Shannon's Theorem + signal attenuation  $\rightarrow$  limited cable length

In practice, noise reduces the maximum data rate.

$$R = B \times \log_2\left(1 + \frac{S}{N}\right)$$



The signal to noise ratio (*S*/*N* or SNR) is expressed in decibel. SNR of 40 dB means  $S/N = 10^4$  **C** 

Q: Why use decibels?

I.e., Signal power is 10,000 times stronger than Noise power

#### Shannon's Theorem Example Signal level not used!

Consider the signal and channel from before (4 signal levels, 500kHz bandwidth). What happens if the SNR is 40dB?

$$R = B \log_2 \left( 1 + \frac{S}{N} \right)$$

$$B = 500,000$$

$$\frac{S}{N} = 40 \text{dB} = 10^{\frac{40}{10}} = 10,000$$

$$R = 500,000 \log_2(1 + 10,000)$$

$$R \approx 500,000 \times 13 = 6,500,000 \text{bps} = 6.5 \text{Mbps}$$

 $\log_2 10001 \approx 13.29 \approx 13$  $2^{10} = 1024, 2^3 = 8, 2^4 = 16$  $2^{13} = 8192, 2^{14} = 16348$ 

## Physical Layer Lecture

- 1. Physical Properties of Different Mediums
- 2. Communication Speed Limits

#### 3. Digital Modulation

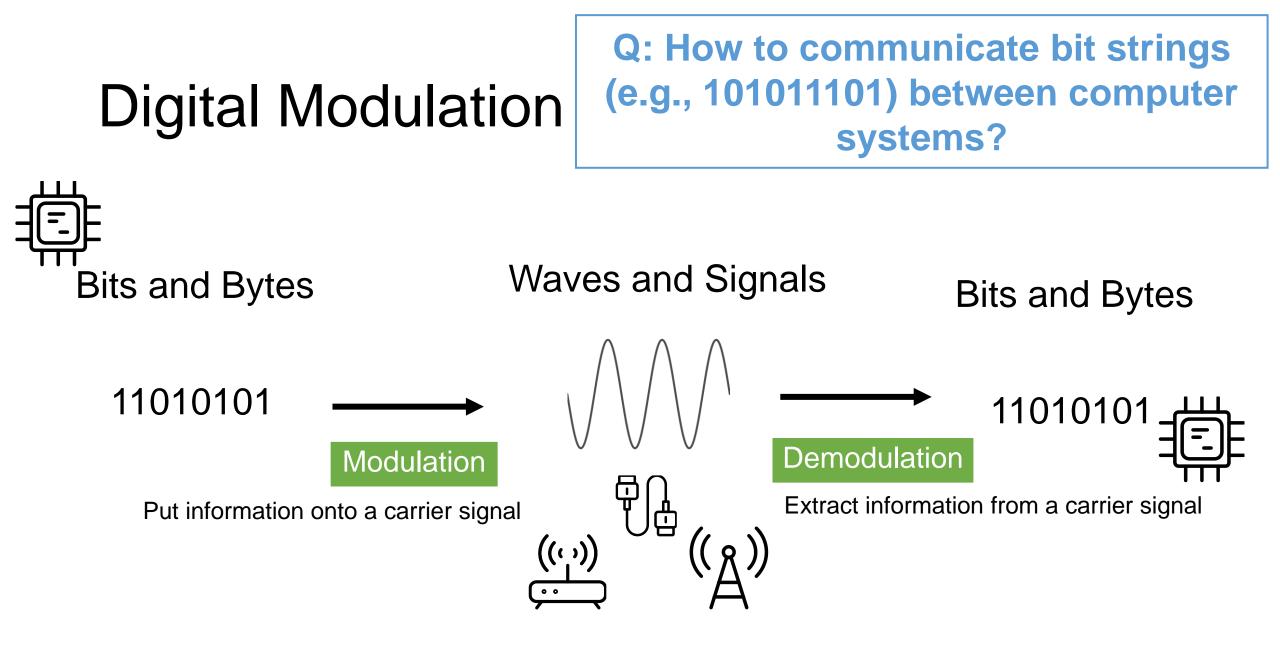
4. Multiplexing

## **Digital Modulation**

**Translating Between Bits and Signals** 

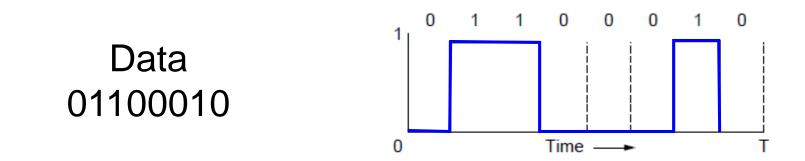
Key responsibility of the physical layer



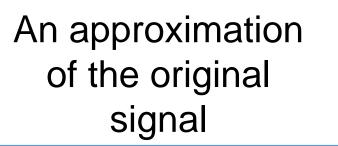


## Digital Modulation: Baseband Transmission

#### **Representing Bits Using Signals**



Q: Why send an approximation?



Q: How close must the approximation be?

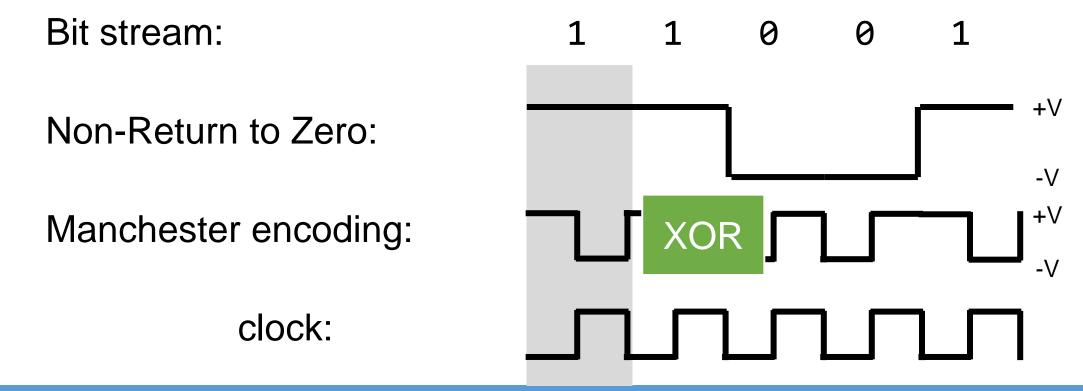
0

Time

#### **Baseband transmission**

Q: Can you think of a problem with this approach?

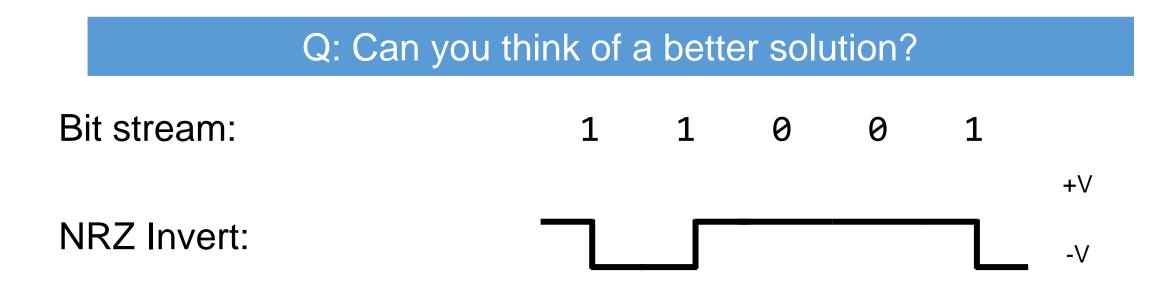
Idea: send signals that represent one or more bits.



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#### **Baseband transmission**

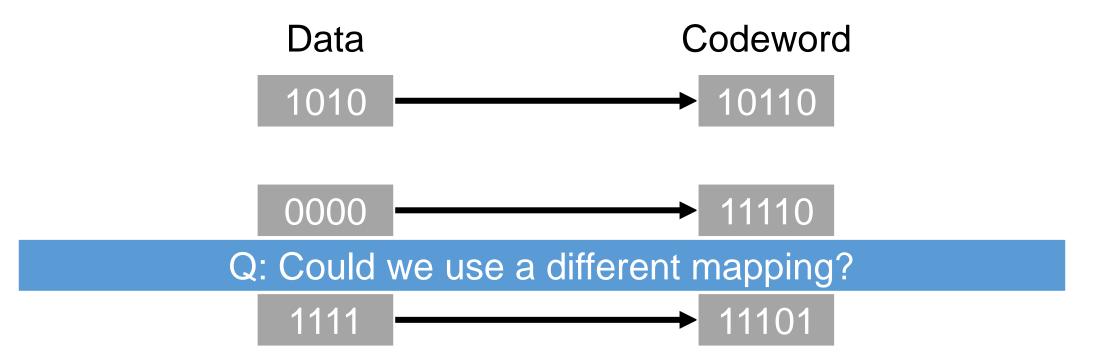
Non-Return to Zero has **clock recovery** problems. Manchester encoding halves the available *bandwidth*.



#### 4B/5B encoding

Q: What are the (dis)advantages of this approach?

Use a translation table to map sequences of 4 data bits to 5-bit codewords.

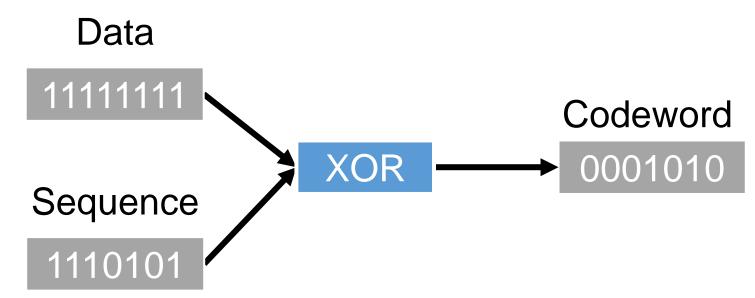


#### Scrambling

Q: What are the (dis)advantages of this approach?

XOR the data with a random bit sequence.

E.g., use sequence 1110101.



## Digital modulation: Passband transmission

#### Passband transmission

Low-frequency signals not always practical.

Q: Why not?

Not practical for wireless channels:

1. Antenna size

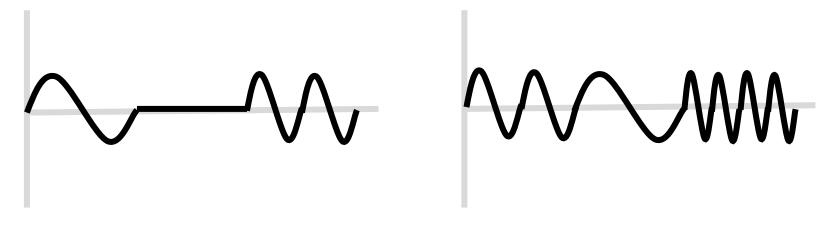
#### 2. Interference

- Noise
- Other channel users!

The passband

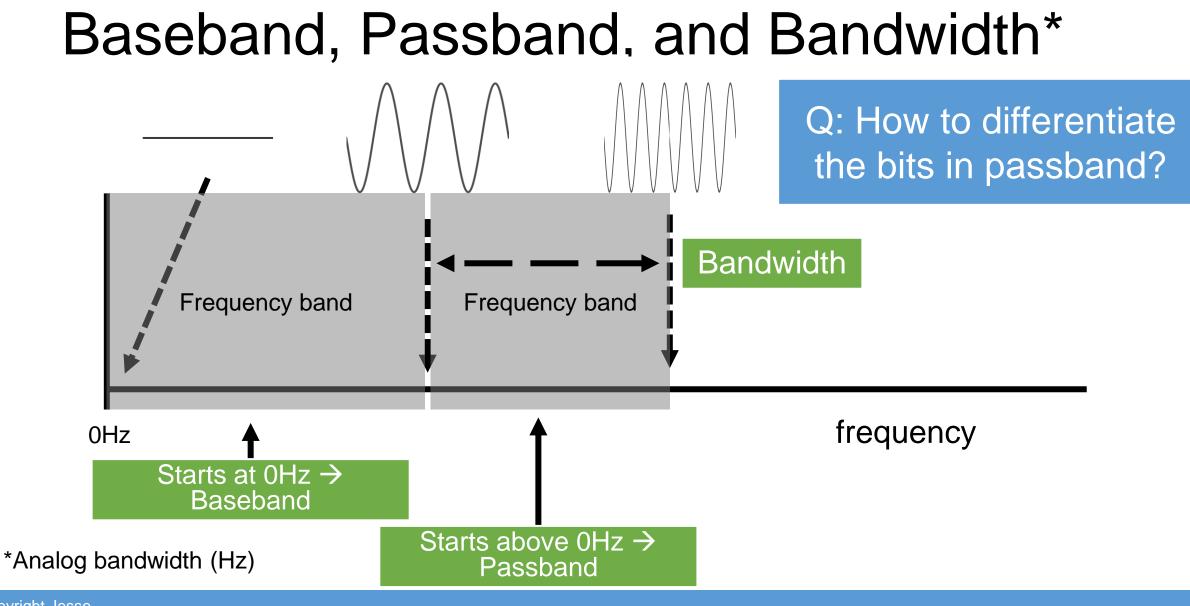
#### Passband transmission

Solution: move from [0, B] Hz to [S, S+B] Hz.

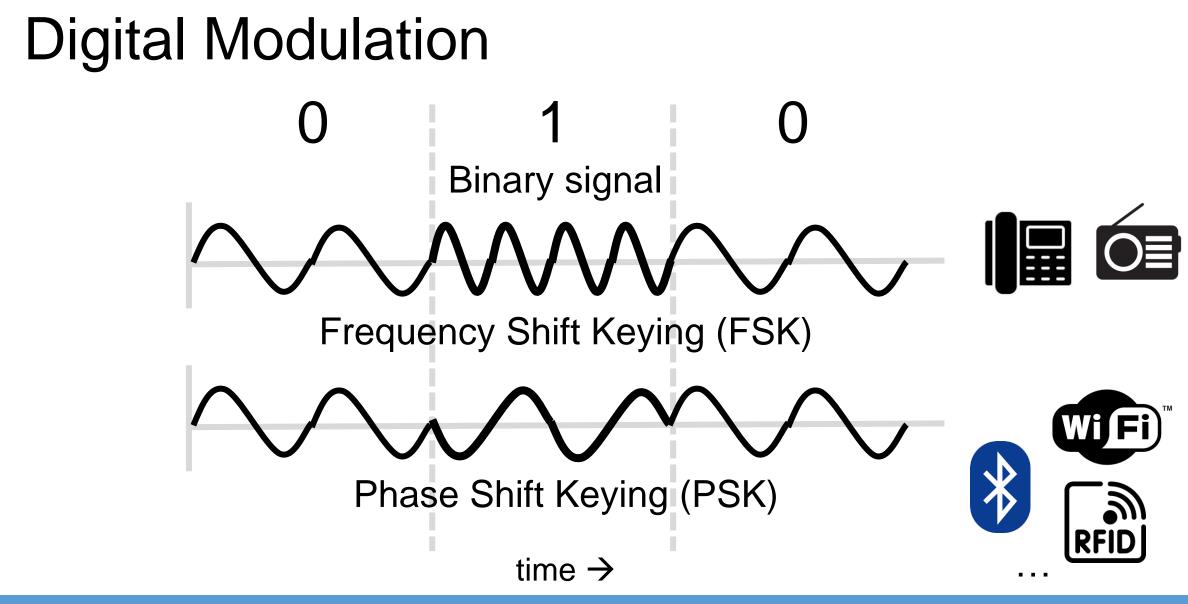


Frequency can be 0 Hz

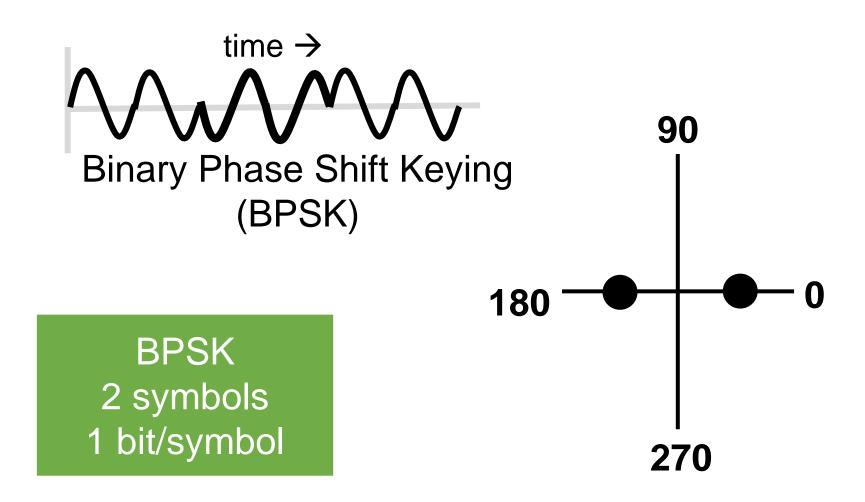
Minimum frequency of S Hz



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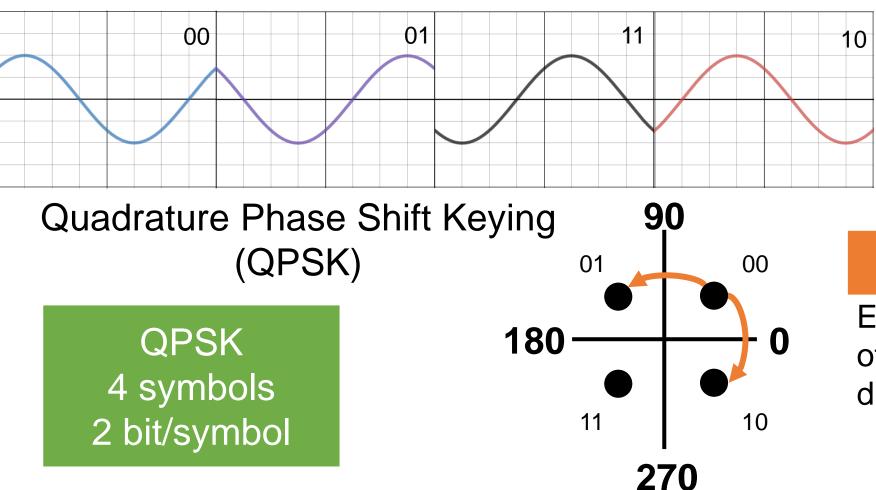


#### Sending multiple bits per symbol



### Sending multiple bits per symbol

time  $\rightarrow$ 



#### Gray encoding

Every adjacent pair of symbols only differs by one bit

## Physical Layer Lecture

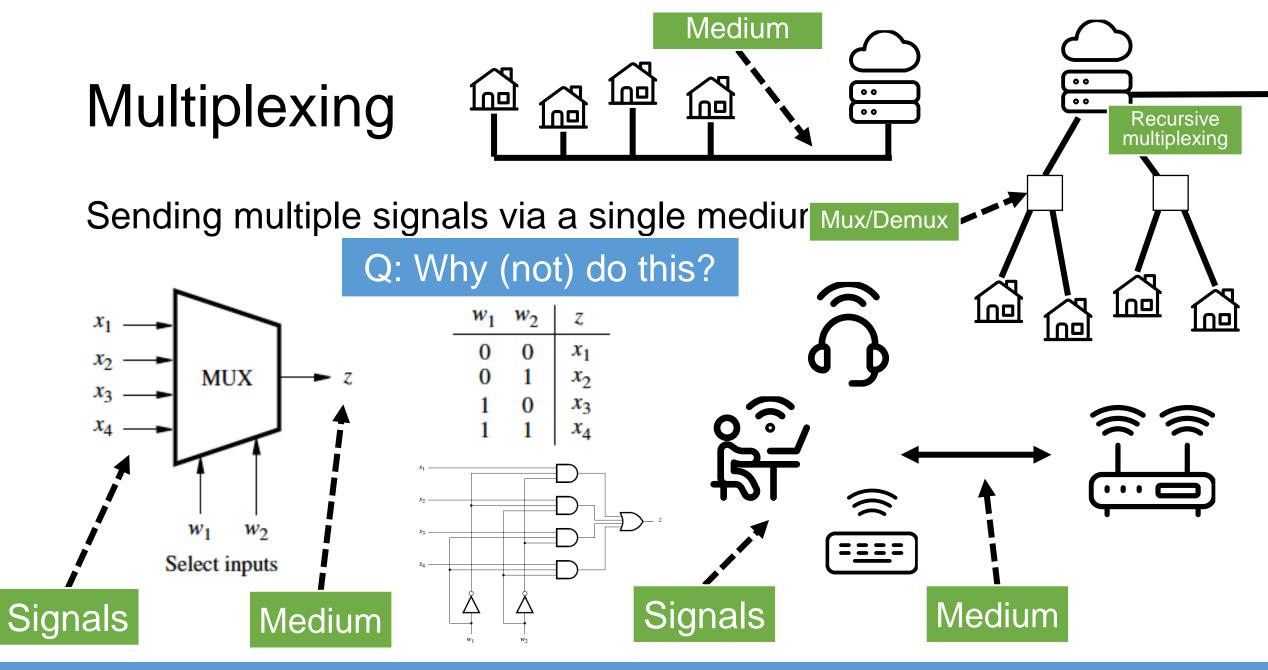
- 1. Physical Properties of Different Mediums
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# Multiplexing

Key concept: resource sharing



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#### Simplex and Duplex Channels

**Simplex channels** only allow data to pass through in one direction.

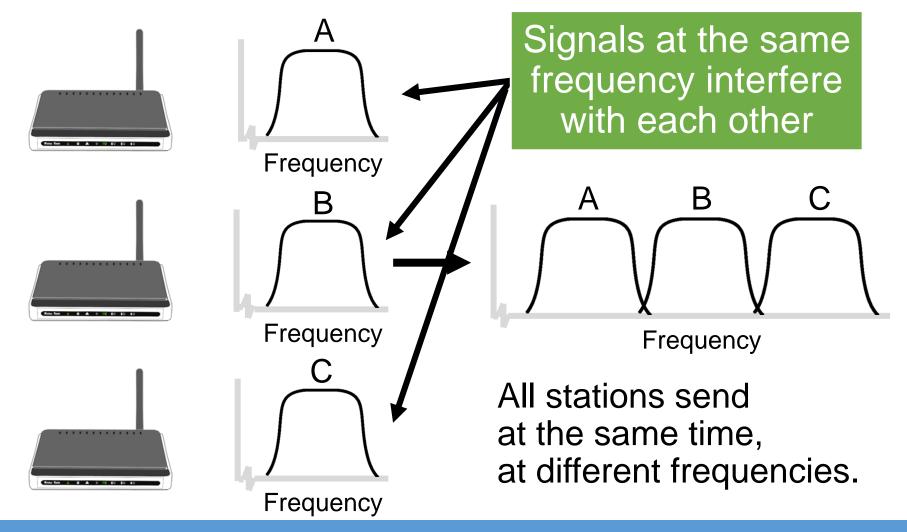
**Duplex channels** allow data to pass through in both directions at the same time.

Q: Can you think of a simple way to build a duplex channel?

Half-duplex channels allow data in both directions, but not at the same time.



#### **Frequency Division Multiplexing**

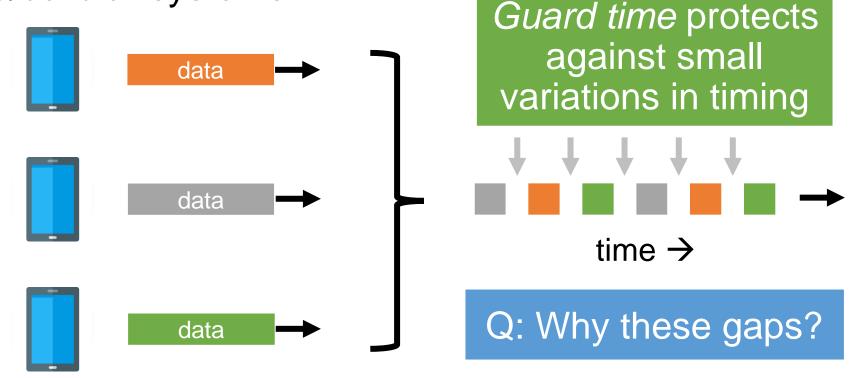


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#### Time Division Multiplexing

Q: How does each station know when to send?

Stations take turns on a *fixed schedule*. Widely used in telephone/cellular systems



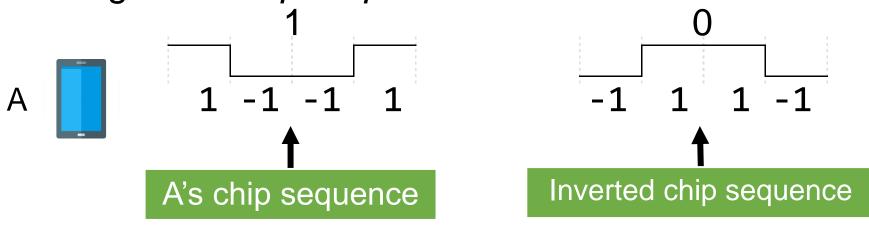
Also called "Code Division Multiple Access" (CDMA)

Stations send at the same time, at the same frequency

Receiver figures out who sent what

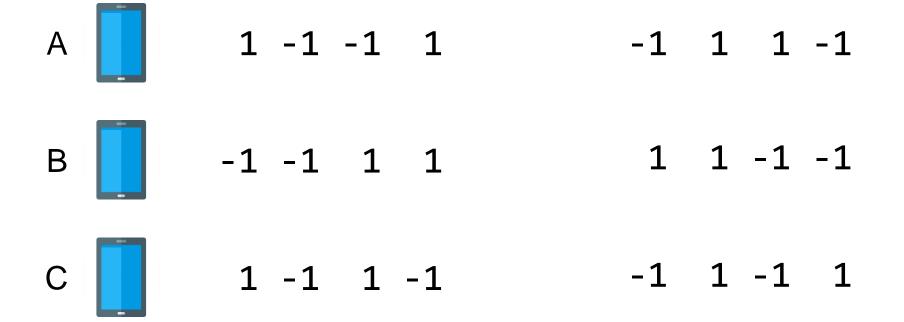
- If a station sends 1, the receiver computes 1
- If a station sends **nothing**, receiver computes **0**
- If a station sends **0**, the receiver computes **-1**

Also called "Code Division Multiple Access" (CDMA)



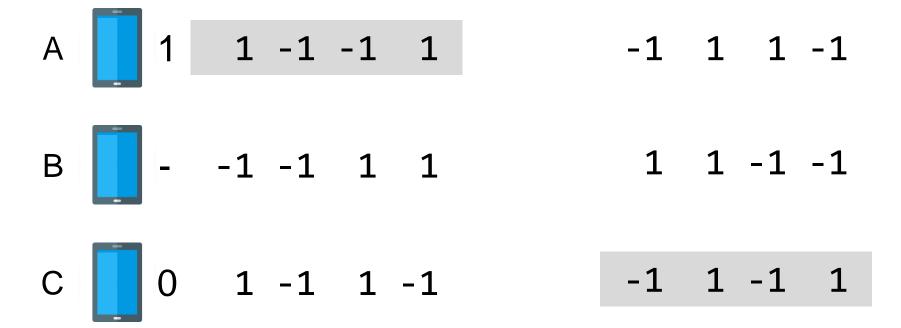
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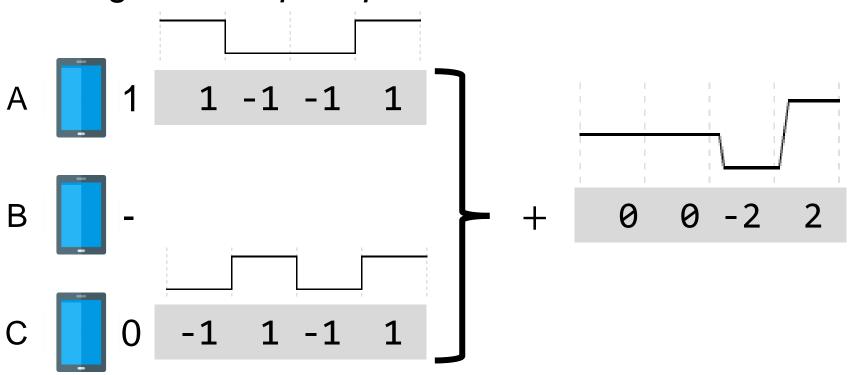


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Also called "Code Division Multiple Access" (CDMA)



Also called "Code Division Multiple Access" (CDMA)

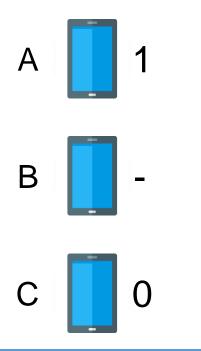
Stations send at the same time, at the same frequency.

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- If a station sends 1, the receiver computes 1.
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Every bit is split into *chips*. Each station is assigned a *chip sequence*.



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Also called "Code Division Multiple Access" (CDMA)

Every bit is split into *chips*. Each station is assigned a *chip* sequence.  $S = \begin{bmatrix} 0 & 0 & -2 & 2 \\ 1 & 1 & 1 \end{bmatrix}$ 

A 1 1 -1 -1 1 
$$A \cdot S$$
  $\frac{0 - 0 + 2 + 2}{4}$ 

0

С

1 -1 1 -1

Also called "Code Division Multiple Access" (CDMA)

Every bit is split into *chips*. Each station is assigned a *chip* sequence.  $S = \begin{bmatrix} 0 & 0 & -2 & 2 \\ 1 & 1 & 1 \end{bmatrix}$ 

A
 1
 1
 -1
 -1
 1
 
$$B \cdot S$$

 B
 -1
 -1
 -1
 1
  $0 - 0 - 2 + 2$ 

 4

If a station sends **nothing**, the receiver computes **0**.

Also called "Code Division Multiple Access" (CDMA)

Every bit is split into *chips*. Each station is assigned a *chip* sequence.  $S = \begin{bmatrix} 0 & 0 & -2 & 2 \\ 1 & 1 & 1 \end{bmatrix}$ 

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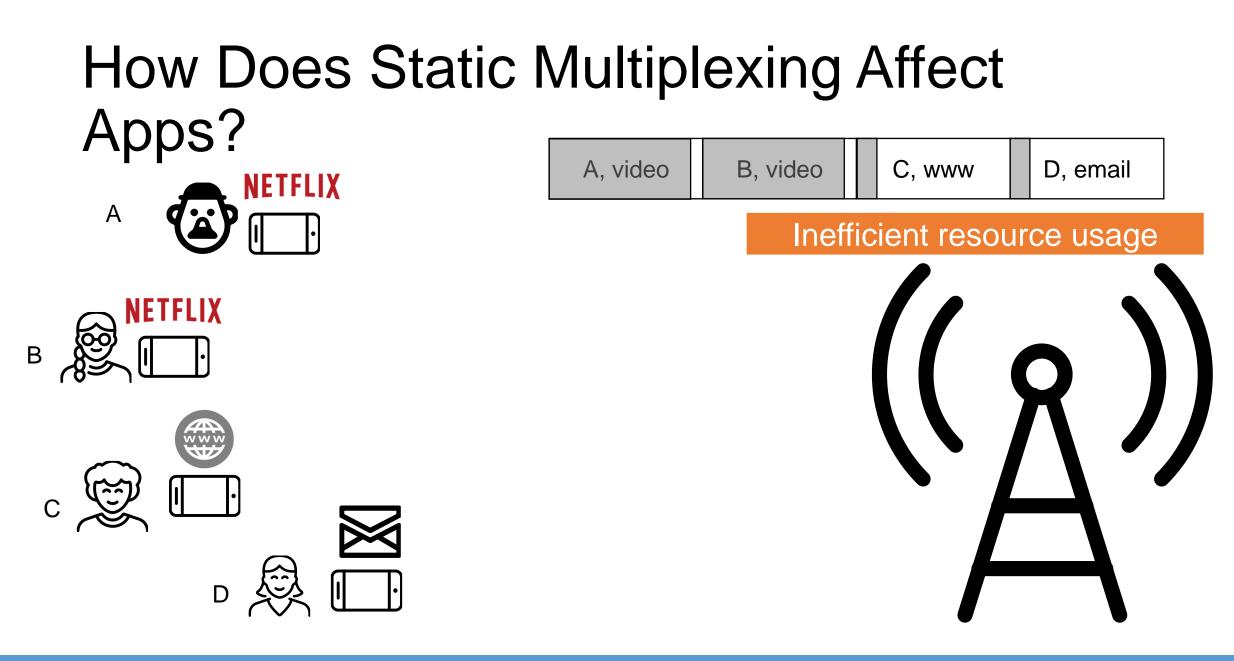
B - -1 -1 1 1 
$$C \cdot S$$
  
C 0 1 -1 1 -1  $\frac{0 - 0 - 2 - 2}{4}$ 

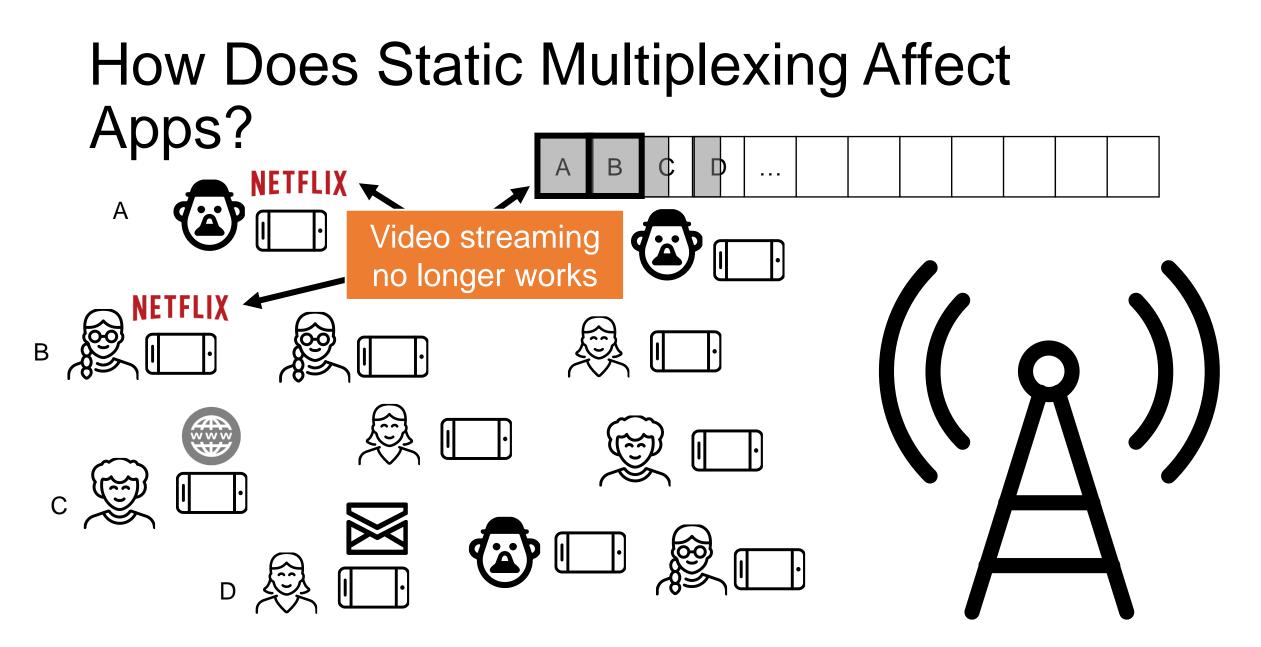
Also called "Code Division Multiple Access" (CDMA)

Requirements:

- 1. Inner product of sequence with itself is 1 (e.g.,  $A \cdot A = 1$ )
- 2. All chip sequences are pairwise orthogonal (e.g.,  $A \cdot B = 0$ )

#### Q: Differences Between FDM, TDM, CDM? Do they matter?

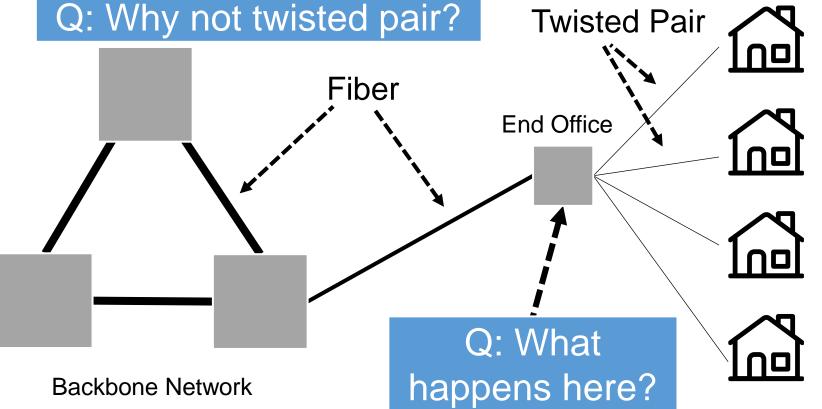




## **Real-World Examples**

#### Internet over telephone system

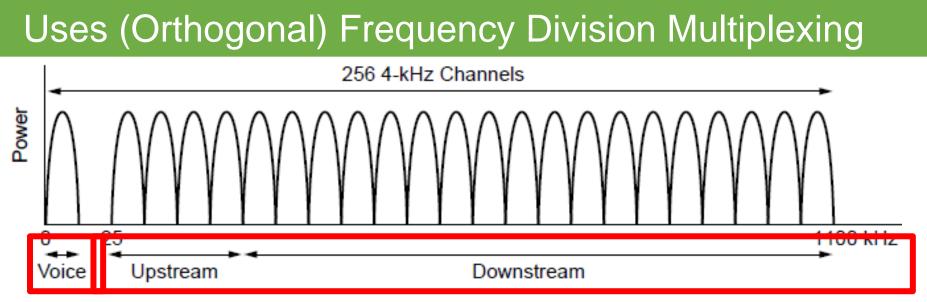




#### Local loop Digital Subscriber Lines

Networks no longer used primarily for voice

DSL broadband sends data over the local loop to the local office using frequencies that are not used for POTS.



POTS = Plain Old Telephone System

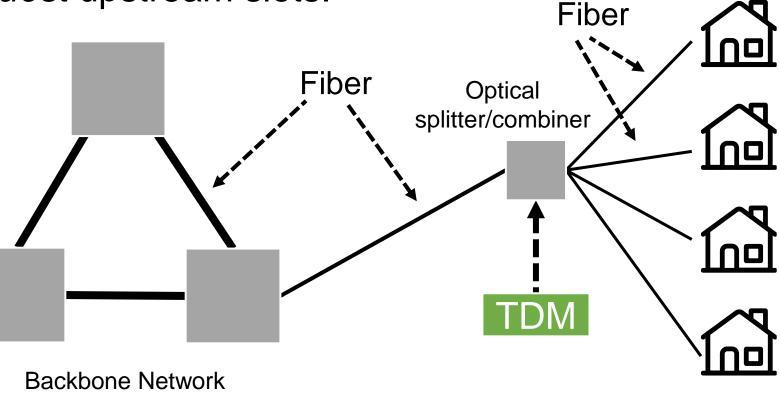
#### Fiber to the Home

Uses Time Division Multiplexing for upstream data. Modems have to *request* upstream slots.

Q: Can you think of a (dis)advantage of this approach?

Requesting slots improves efficiency. Similar to STDM

Shared channel. Home modems need to time carefully when to send



### SONET (Synchronous Optical NETwork)

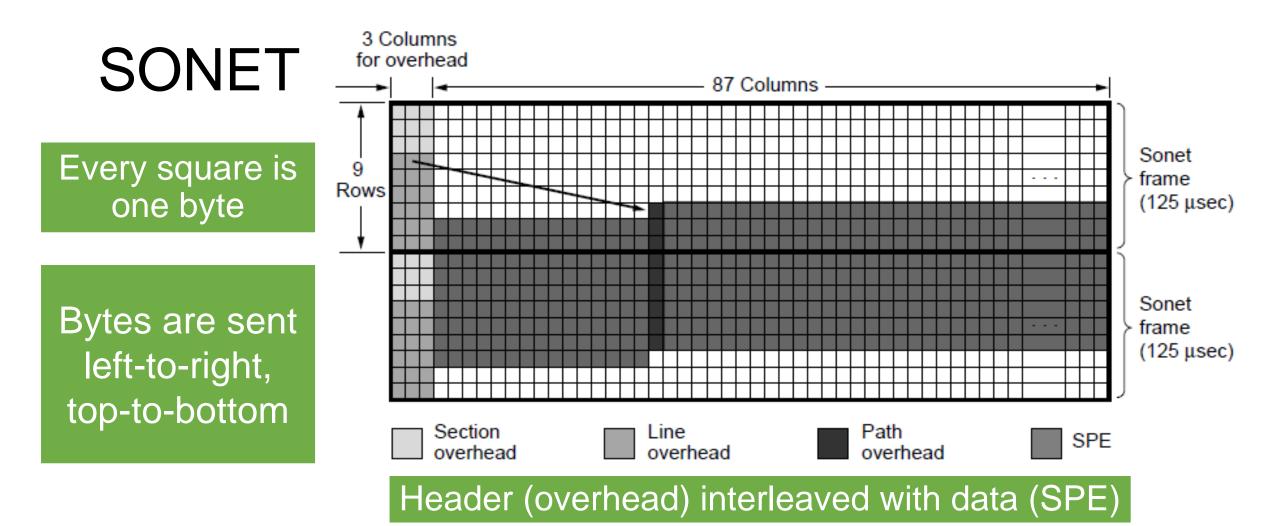
Worldwide standard for carrying digital signals on optical trunks.

#### **Uses Time Division Multiplexing**

An STS-1 line sends 810-byte frames every 125µs. (52Mbps)

Time kept by a master clock. (A synchronous system.)

**Uses Frequency Division Multiplexing** Multiple STS-1 lines are combined on a single fiber to use the available bandwidth.



## Physical Layer Summary

1. Different transmission mediums have different properties

**2. Digital Modulation** to translate bits to and from analog signals

**3. Multiplexing** to send multiple signals through one medium